

Six-Sigma Implications of Particulate Mass Measurement at a Milligram per Mile

W. Silvis, J. Williamson, D. Meyer – AVL North America

Assessment Overview for 6σ Particulate Measurement Capability

**Consumer Driven
6-Sigma**



Black Belts: Dan Meyer, Colin Chisholm (advisor)

Project Leader: Bill Silvis

Project Champions: Jimmy Williamson / Siegfried Roeck

Master Black Belt: none

Management: Sean Egmon / Rick Karaschin

Additional Team Members: John Bushkuhl

Financial Analyst: Jennifer Foulk

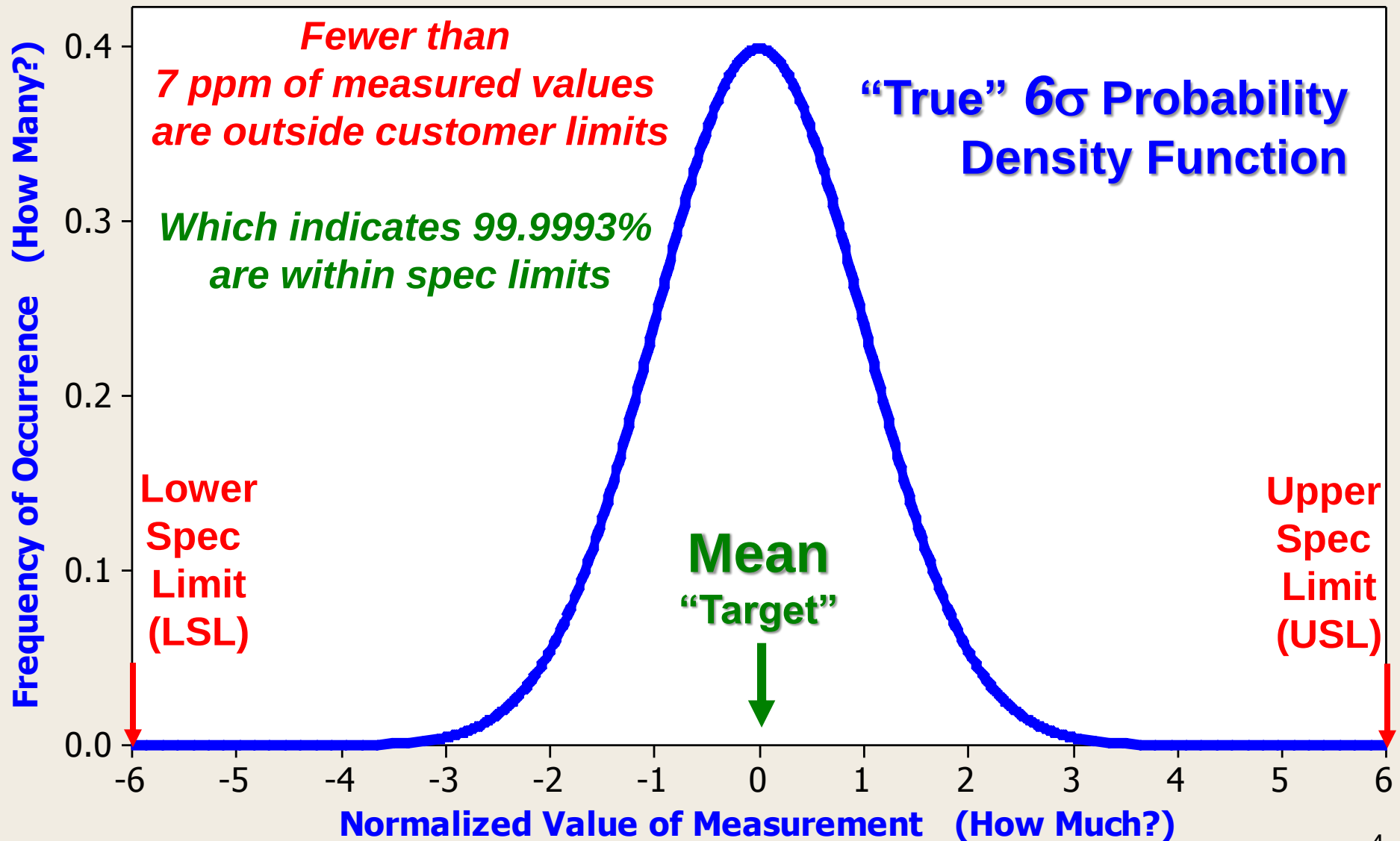
Organization: AVL TSI (CAPS)

Close Date: December 31, 2015

Engineering & Business Methodology to:

1. Improve quality of products and services.
2. Assess and minimize variation.
3. Deliberately search to identify defects.
(Defect defined as any customer dis-satisfier.)
4. Attempt to drive all defects to zero.
(True Six-Sigma process is 99.9993% defect free.)
5. Estimate value of reducing defects.

"Standard Normal," Gaussian Distribution



Particulate DEFECT or Failure Mode Definition:

Measured values that are outside target tolerance range.

Scope of Analysis:

- *Process Capability*
- *Resolution*

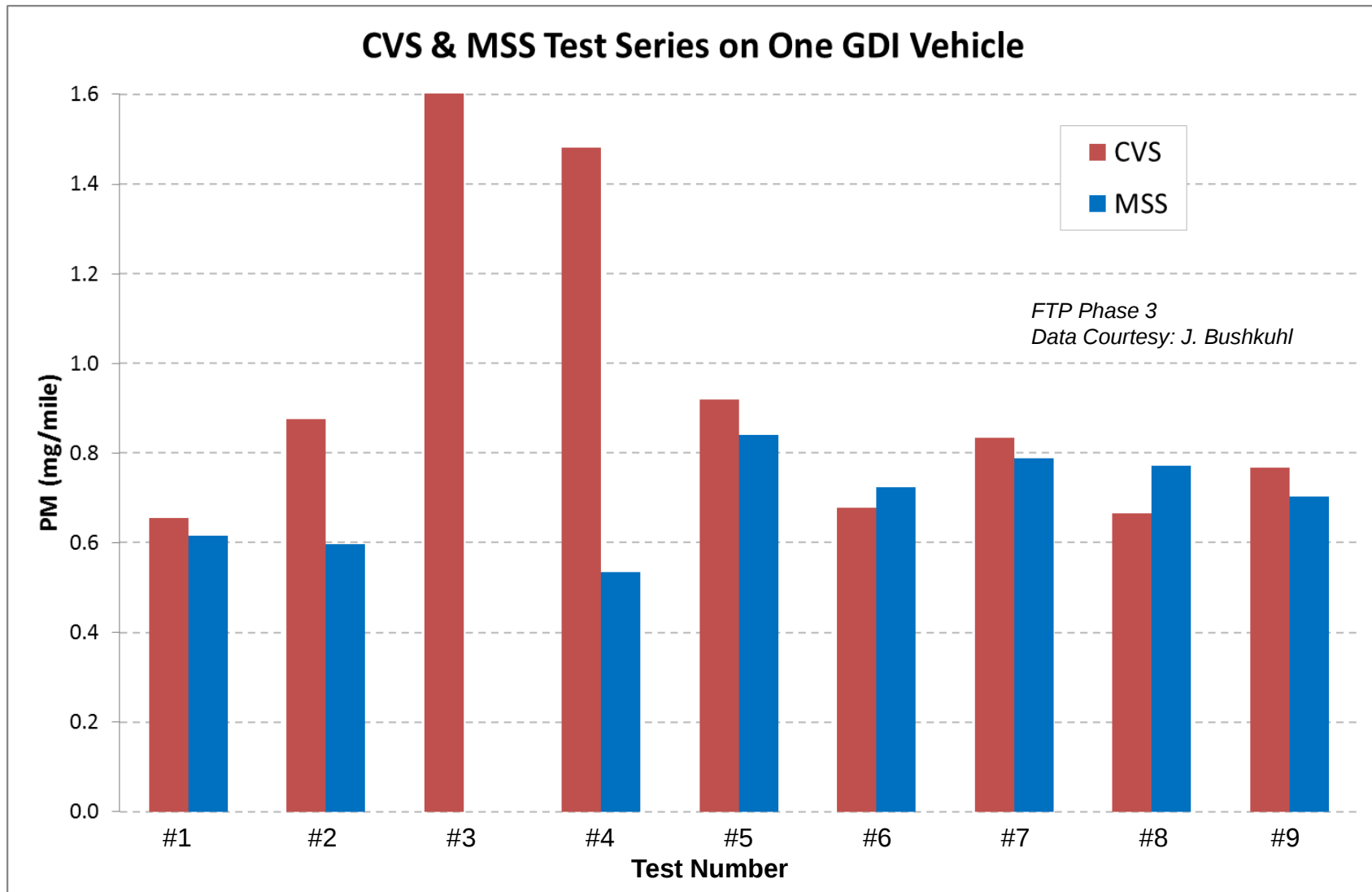
Investigate & Identify Improvements required for:

- *True Six-Sigma tolerance*
- *Reliable measurements of low-level PM (~1mg/mile)*

Challenges:

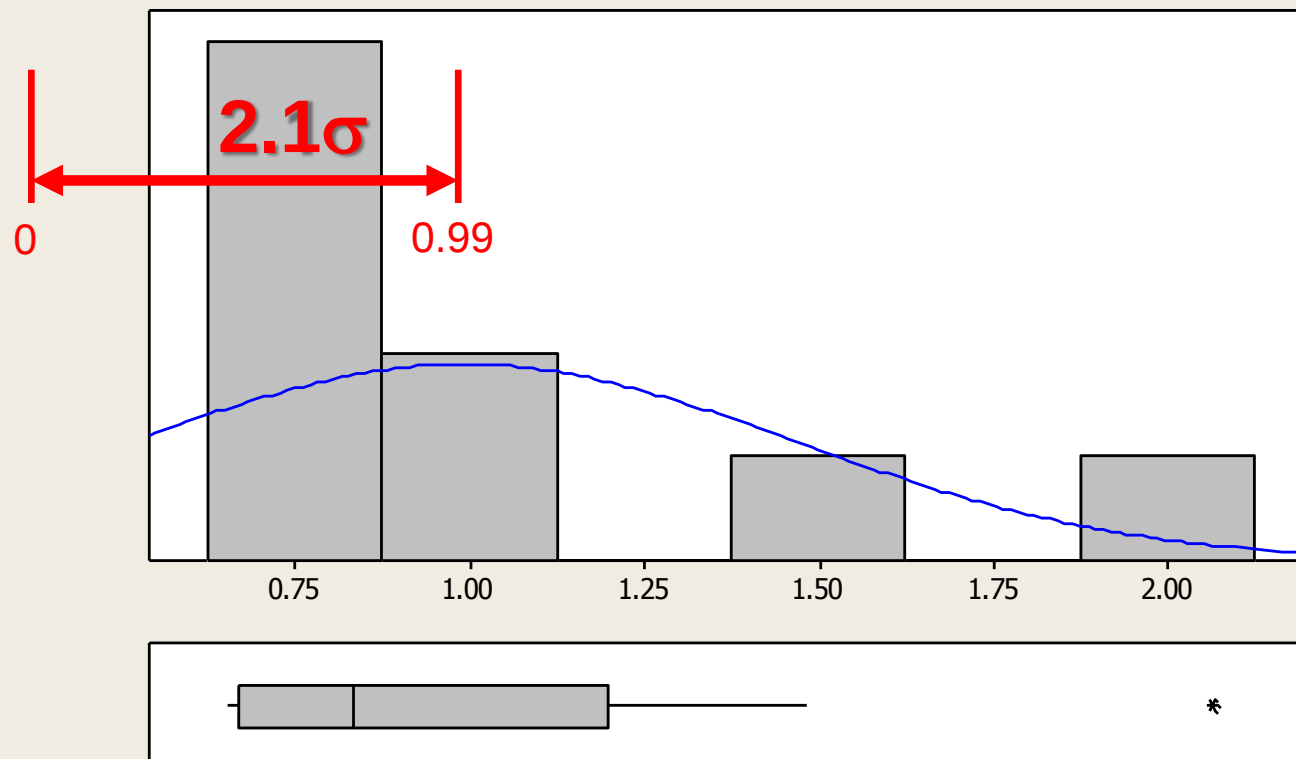
1. *No particulate reference standard currently exists.*
2. *Normal measurement system analysis might not apply.*
3. *Particulate constituents, i.e. variables have not been isolated.*

1. Particulate levels at or near 1 mg / mile **AND**
2. At least 8 sample runs for each measuring device

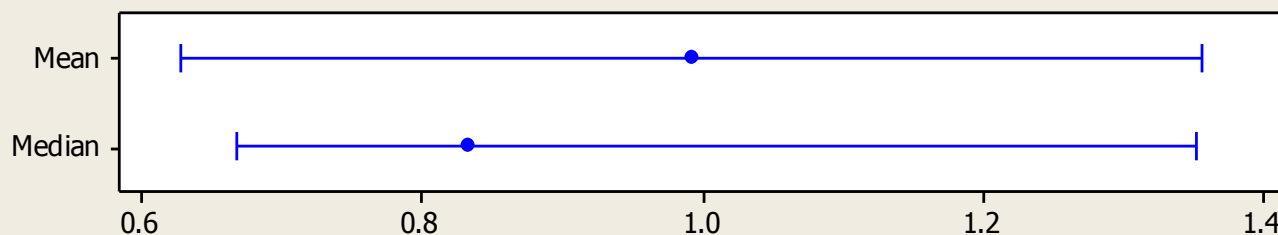


Summary: CVS - Phase 3

Only 2.1 σ from Zero to Mean



95% Confidence Intervals



Fails Normality Test?

Anderson-Darling Normality Test

A-Squared 1.06

P-Value < 0.005

Mean 0.99282

StDev 0.47430

Variance 0.22496

Skewness 1.83443

Kurtosis 2.86124

N 9

Minimum 0.65535

1st Quartile 0.67110

Median 0.83352

3rd Quartile 1.19996

Maximum 2.06254

95% Confidence Interval for Mean

0.62824 1.35740

95% Confidence Interval for Median

0.66794 1.35303

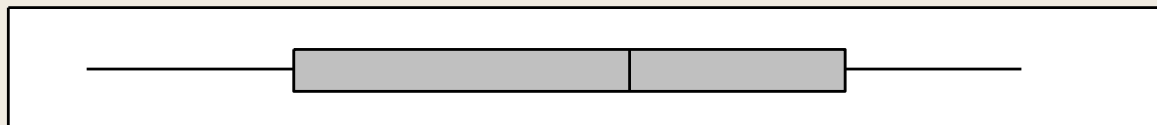
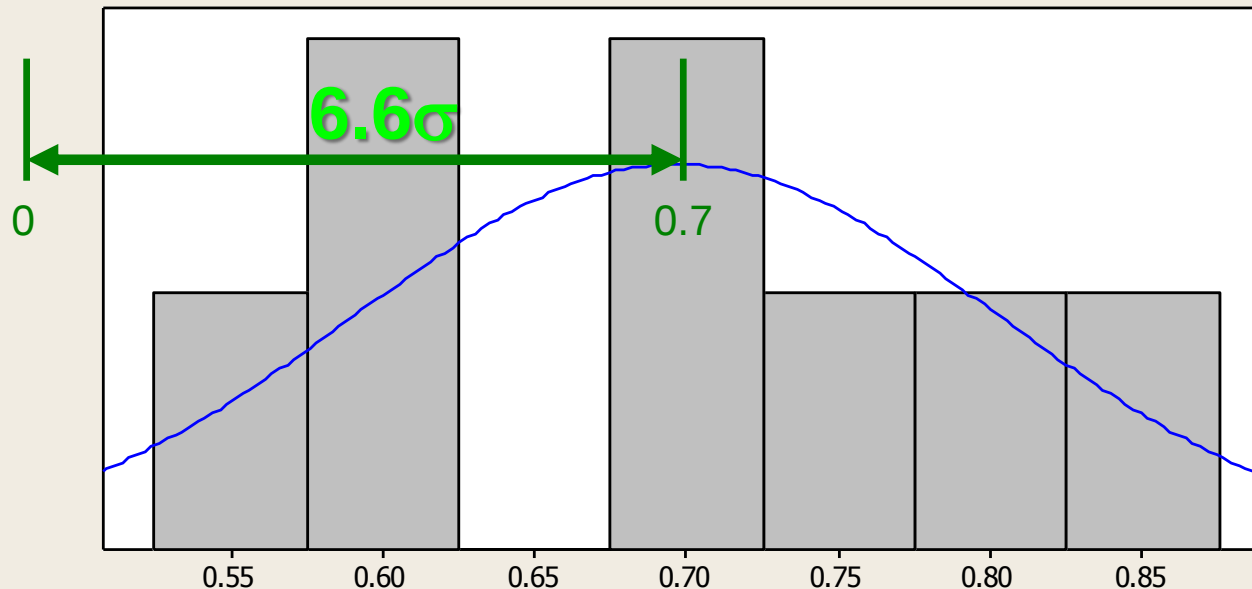
95% Confidence Interval for StDev

0.32037 0.90864

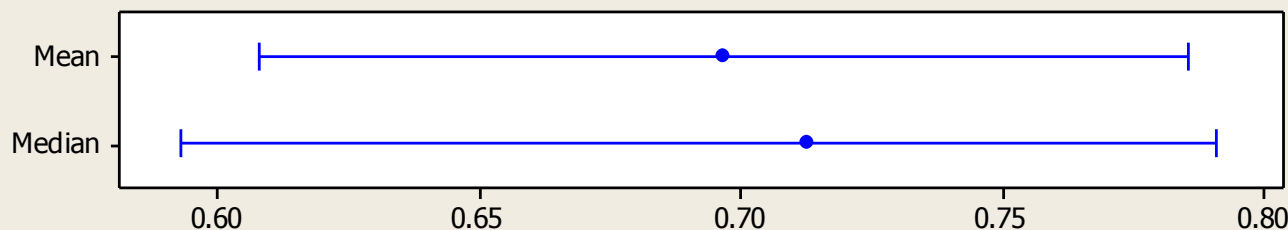
Raw Data Courtesy: J. Bushkuhl
Minitab Data Analysis: D. Meyer

Summary: MSS - Phase 3

Over 6σ from Zero to Mean



95% Confidence Intervals



Anderson-Darling Normality Test

A-Squared 0.21
P-Value 0.799

Mean 0.69662
StDev 0.10578
Variance 0.01119
Skewness -0.26219
Kurtosis -1.12987
N 8

Minimum 0.53373
1st Quartile 0.60201
Median 0.71275
3rd Quartile 0.78357
Maximum 0.84083

95% Confidence Interval for Mean

0.60819 0.78505

95% Confidence Interval for Median

0.59320 0.79084

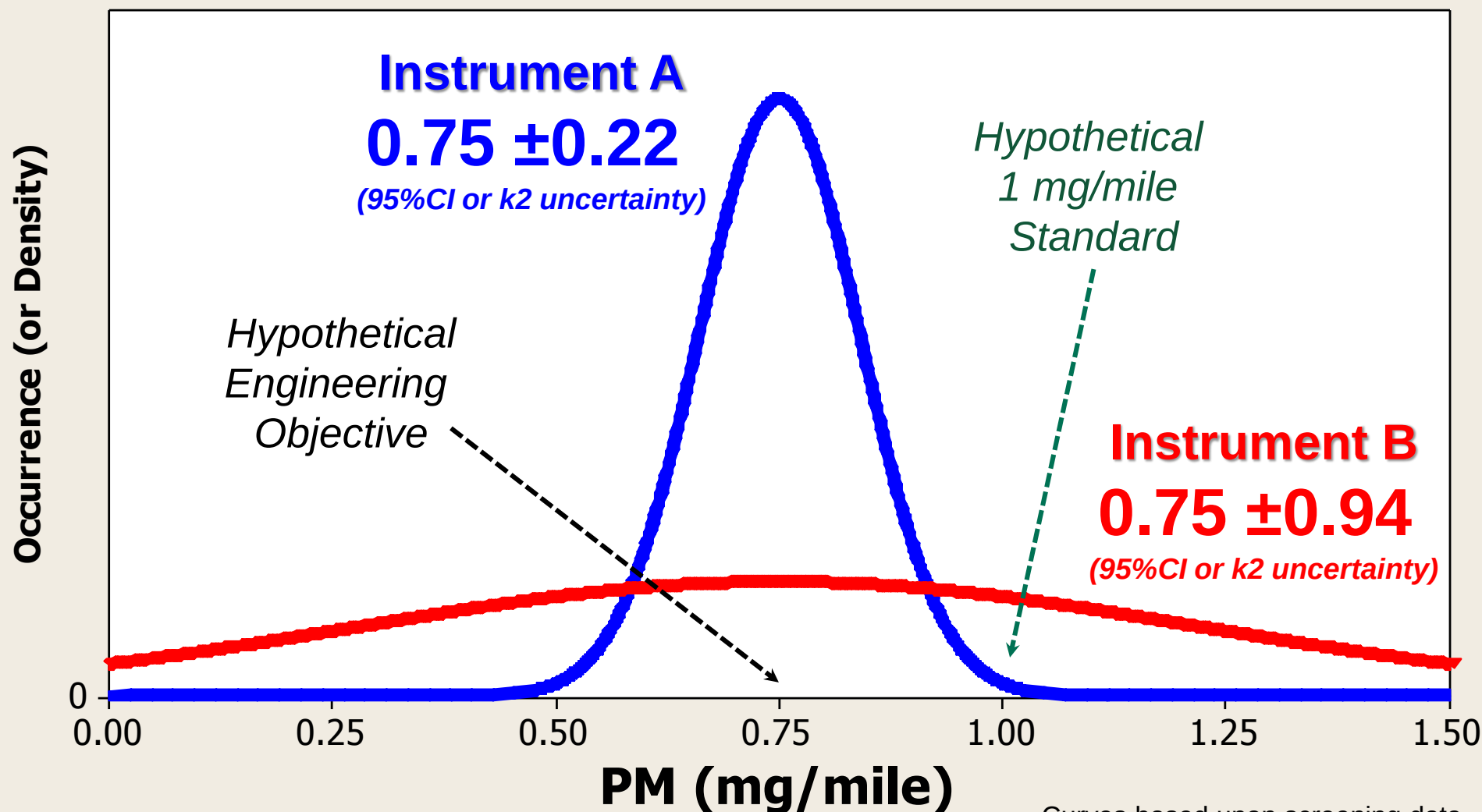
95% Confidence Interval for StDev

0.06994 0.21528

Raw Data Courtesy: J. Bushkuhl
Minitab Data Analysis: D. Meyer

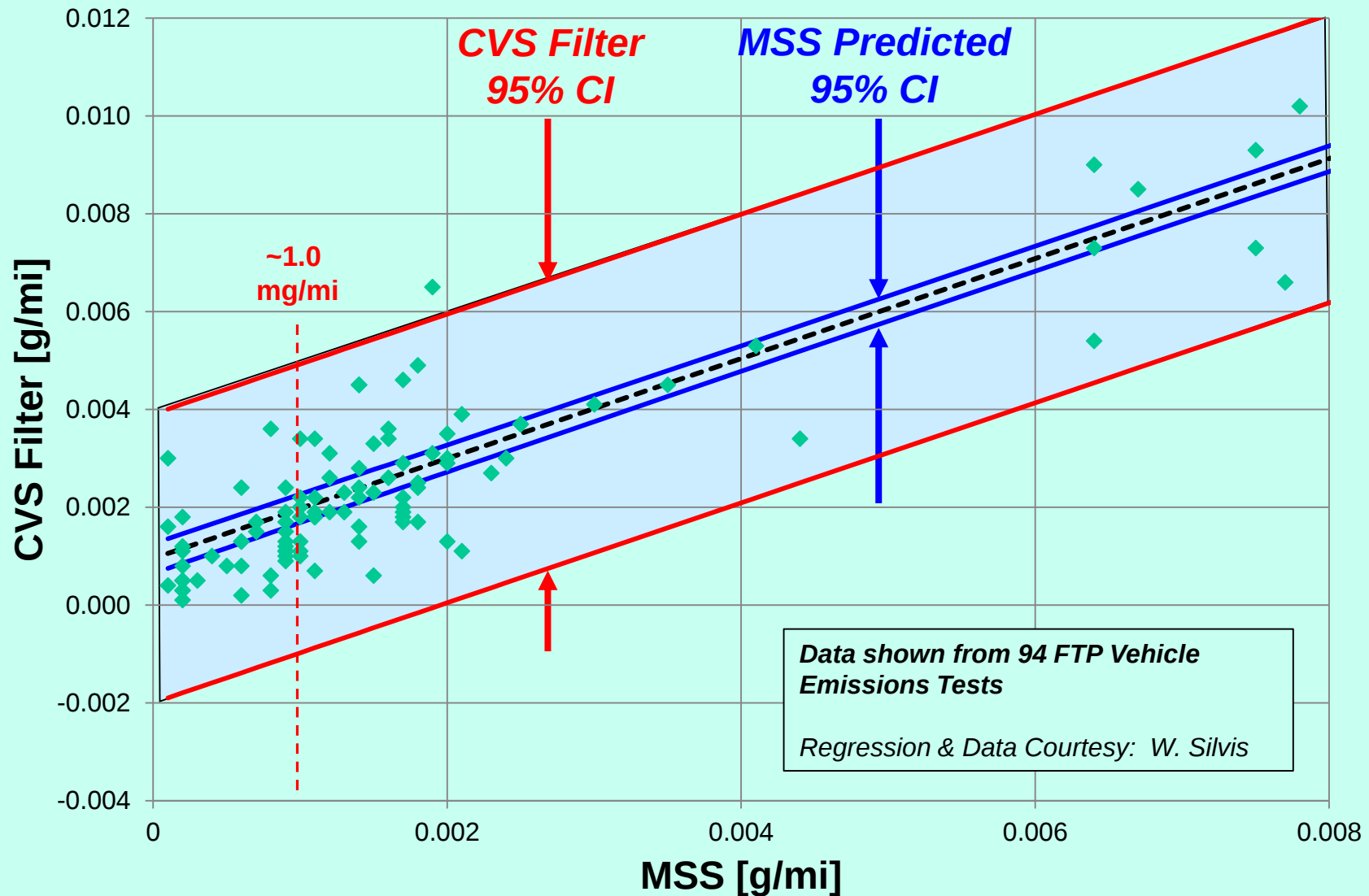
Emissions Engineering-Objective Example

How can we be confident we are meeting the standard, in the fewest number of tests?



Curves based upon screening data.

MSS [g/mi] - CVS Filter Prediction, Regression Line Fit of Vehicle Data



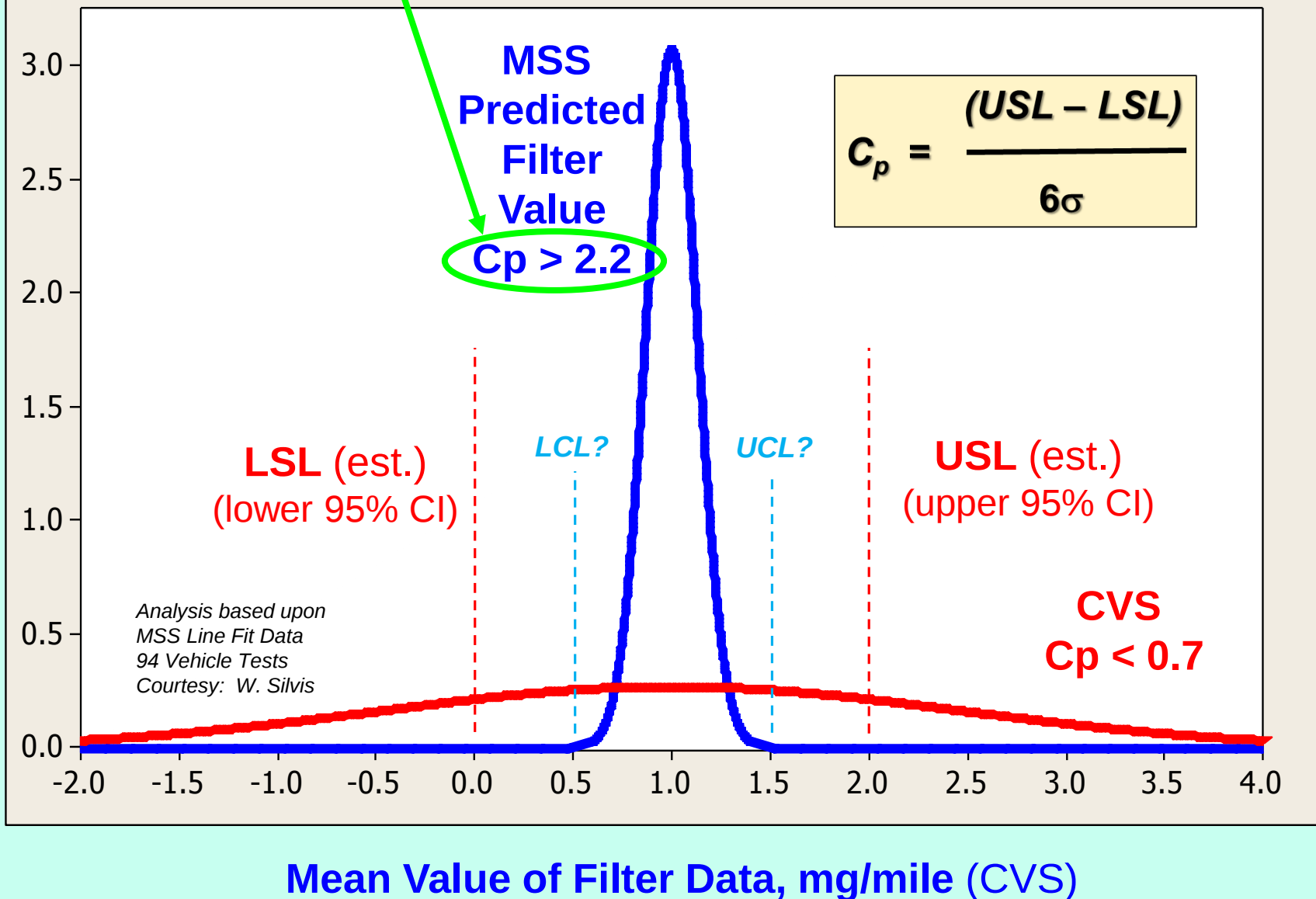
◆ Filter [g/mi] - - - Predicted Filter [g/mi] — lwr — upr — lwr — upr

Vehicle Data Prediction Process Capability (Cp) Assessment



Cp value greater than 2.0 indicates a true **6σ** capability at 1 mg/mi.

Frequency/Density of Occurrence



RESOLUTION: *(Standard Deviation dependent)*

What is the smallest **DISCERNABLE DIFFERENCE** between two actual measured values (or means) that can be reliably detected?

Why a measurement **RESOLUTION** requirement?

- Needed to quantify accuracy or “trueness”
- Influences the lowest measurement capability
- Impacts sample size for a given confidence

Power analysis is used to calculate the minimum sample size required so that one can be reasonably likely to detect an effect of a given size.

Minitab Power and Sample Size (CVS)

1-Sample t Test

Testing mean = null (versus not = null)

Calculating power for mean = null + difference

Alpha = 0.05 Assumed standard deviation = **0.474**

Sample		Target	
Difference	Size	Power	Actual Power
0.25	31	0.8	0.810969

Power analysis is used to calculate the minimum sample size required so that one can be reasonably likely to detect an effect of a given size.

Minitab Power and Sample Size (MSS)

1-Sample t Test

Testing mean = null (versus not = null)

Calculating power for mean = null + difference

Alpha = 0.05 Assumed standard deviation = **0.11**

Sample		Target	
Difference	Size	Power	Actual Power
0.25	4	0.8	0.844016

Projected Financial Benefits: (Baseline **CVS** vs using **MSS**)

- **Tests required to evaluate:** (*@ 0.25 mg/mile diff. & 0.8 power*)
 - **31 tests** vs **4 tests** (*1 regulatory emissions test = 1 “sample”*)
- **Cost of testing to evaluate:** (*\$500/hr x 2 hr/test = \$1000/test*)
 - **\$31K** vs **\$4K** per powertrain evaluation
 - **\$6.2M** vs **\$0.8M** per year (*200 lab evaluations per year**)
- **Projected Annual Laboratory Savings: \$5.4M**

*40 powertrains per year, 1 certification and 4 development evaluations per powertrain

**Approx. Capital Cost Comparison for Reference: PSS-\$170K, MSS(Std)-\$108K, both in addition to CVS HW

Assessment Overview for
6 σ Particulate Measurement Capability

Consumer Driven
6-Sigma



***Thank you for your
time and attention.***